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FIG 1

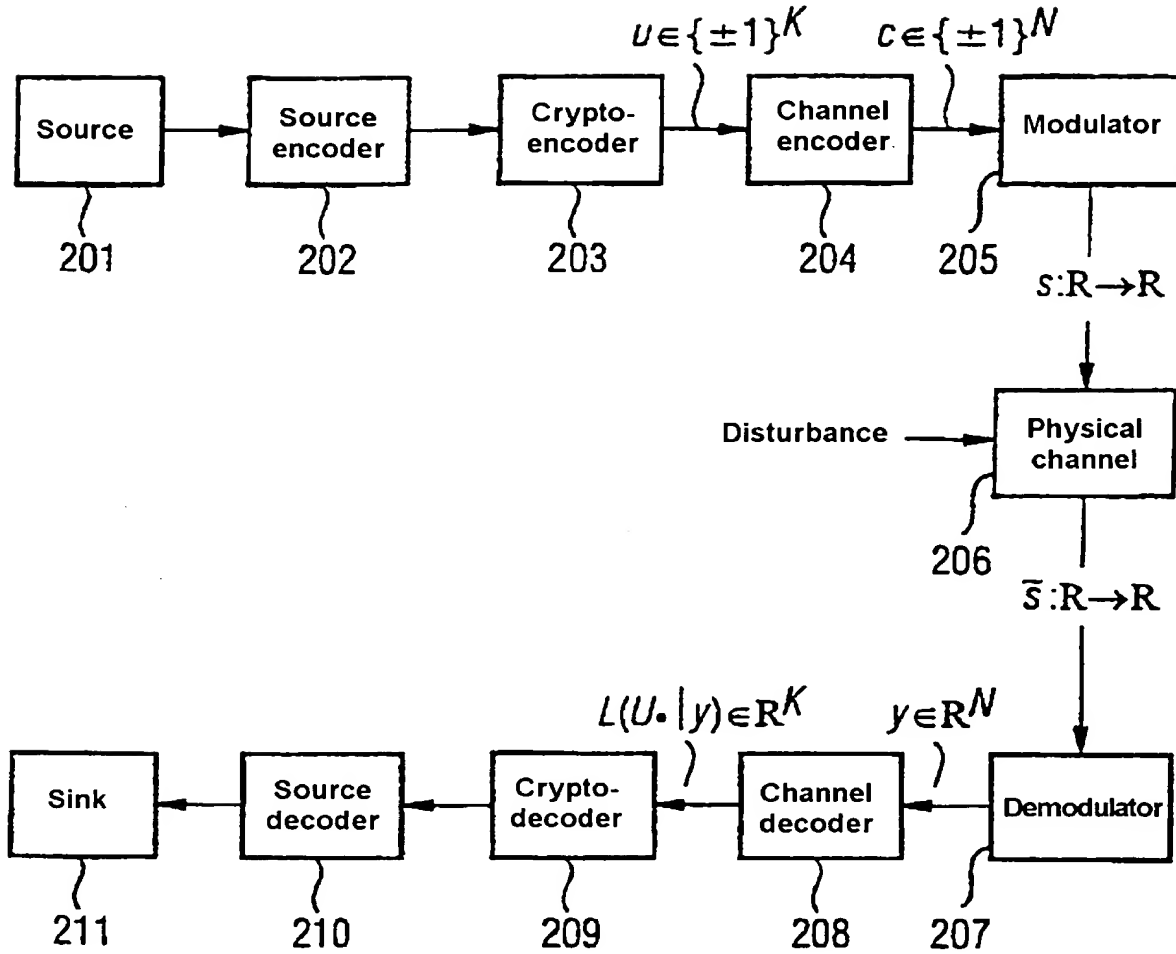


FIG 2

for $q=1, \dots, Q$:

for $s \in S$:

$$\mu(s, q) := \exp \left(\frac{-1}{2\sigma^2} \Delta F_q(s) \right);$$

FIG 3

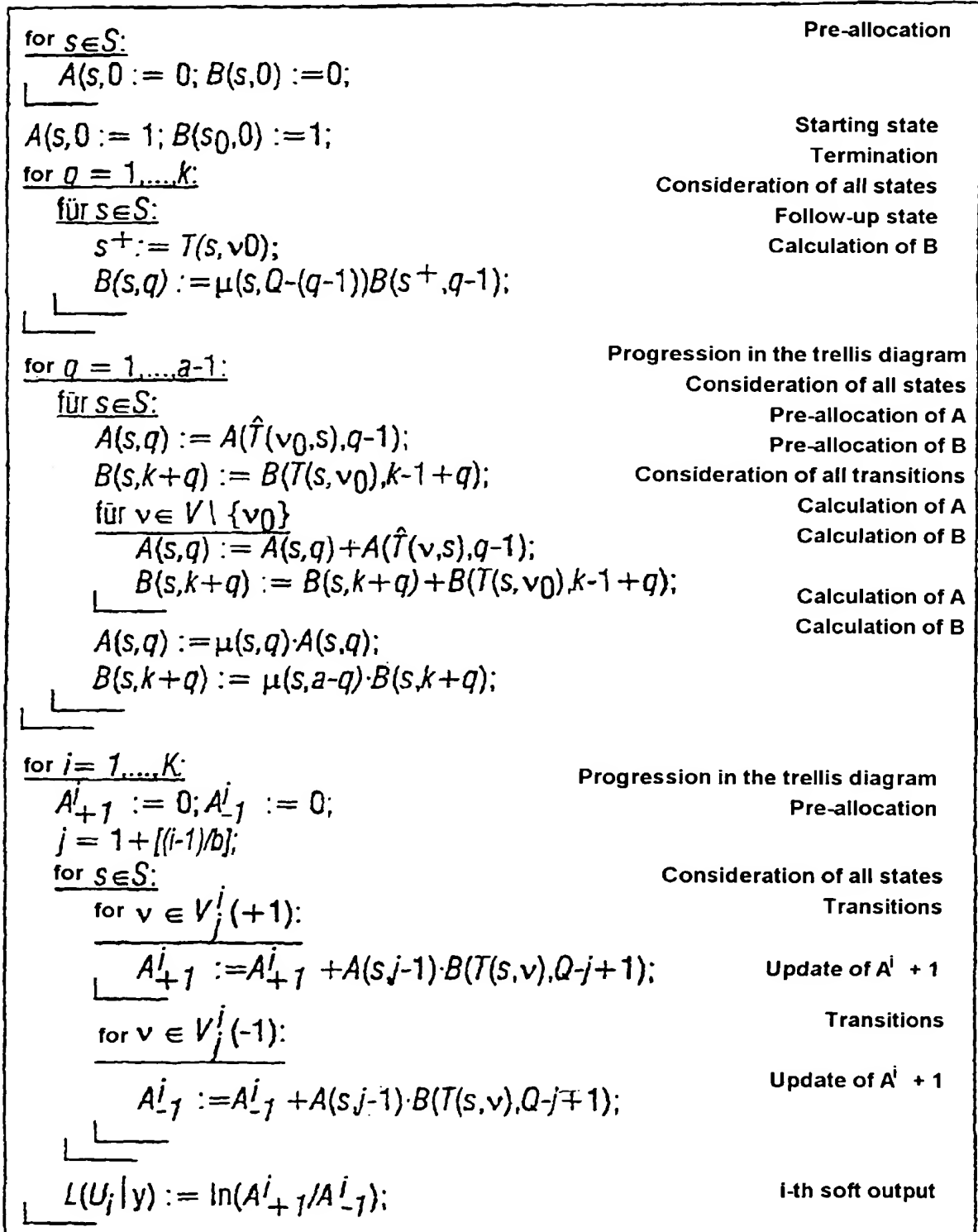


FIG 4

<u>for</u> $s \in S$:	Pre-allocation
$A(s,0) := 0; B(s,0) := 0;$	
$A(s_0,0) := 1; B(s_0,0) := 1;$	Starting state
<u>for</u> $q = 1, \dots, k$:	Termination
<u>for</u> $s \in S$:	Consideration of all states
$s^+ := T(s, +1);$	Follow-up state
$B(s,q) := \mu(s, Q-(q-1))B(s^+, q-1);$	Calculation of B
<u>for</u> $q = 1, \dots, a-1$:	Progression in the trellis diagram
<u>for</u> $s \in S$:	Consideration of all states
$t^+ := \hat{T}(+1, s); t^- := \hat{T}(-1, s);$	Predecessor states
$s^+ := T(s, +1); s^- := T(s, -1);$	Follow-up states
$A(s,q) := \mu(s,q) \cdot (A(t^+, q-1) + A(t^-, q-1));$	Calculation of A
$B(s, k+q) := \mu(s, a-q) \cdot (B(s^+, k-1+q) + B(s^-, k-1+q));$	Calculation of B
<u>for</u> $i = 1, \dots, a$:	Progression in the trellis diagram
$A_{+1}^i := 0; A_{-1}^i := 0;$	Pre-allocation
<u>for</u> $s \in S$:	Consideration of all states
$s^+ := T(s, +1); s^- := T(s, -1);$	Follow-up states
$A_{+1}^i := A_{+1}^{i-1} + A(s, i-1) \cdot B(s^+, Q-i+1);$	Update of $A^i + 1$
$A_{-1}^i := A_{-1}^{i-1} + A(s, i-1) \cdot B(s^-, Q-i+1);$	Update of $A^i + 1$
$L(U_j y) := \ln(A_{+1}^i / A_{-1}^i);$	i-th soft output

FIG 5

